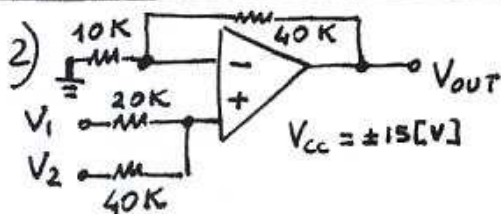
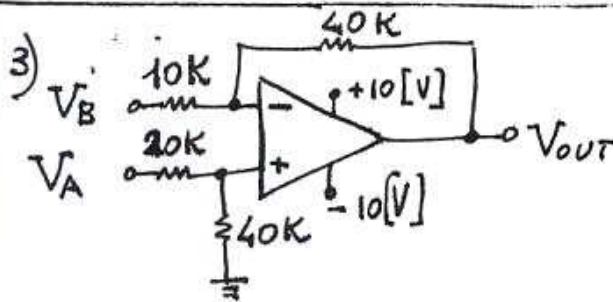


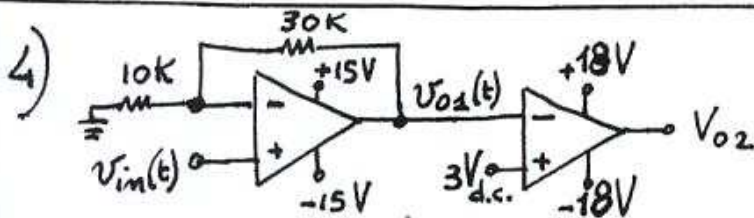
- a) Quanto deve valere R_f perché V_{out} sia $= 6 V_{in}$?
 b) Qual è il max valore di V_{in} , in zona lineare ?



- a) determina V_{out} (in forma letterale)
 b) poni $V_1 = 0,5 [V]$ d.c.
 $V_2(t) = 600 \sin(2\pi 100t) [mV]$
 e determina $v_{out}(t)$.
 c) disegna le 2 v_{in} , le 2 v_{out} parziali, la v_{out} totale

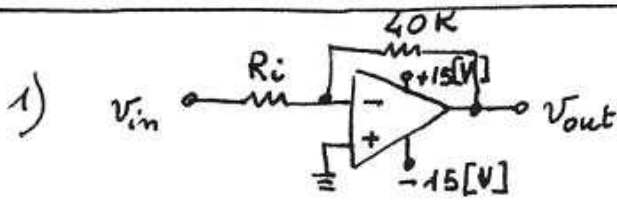


- a) determina V_{out}
 b) modifica le R in modo da ottenere $V_{out} = 6(V_A - V_B)$
 c) quanto vale V_{out} se, essendo nel caso b), $(V_A - V_B) = 2 [V]$?

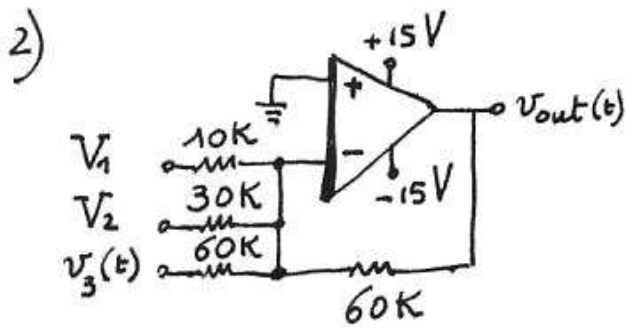


$$v_{in}(t) = 2 \sin(2\pi 1000t) [V]$$

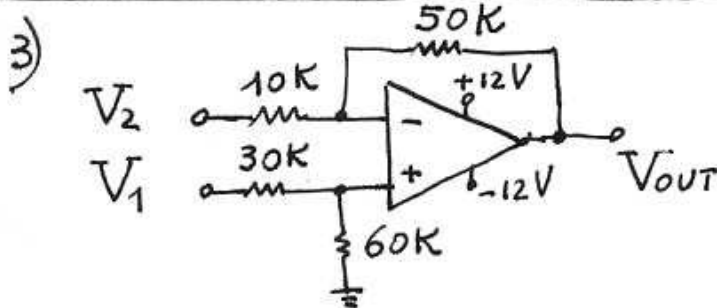
determina e disegna $v_{01}(t)$ e V_{02} .



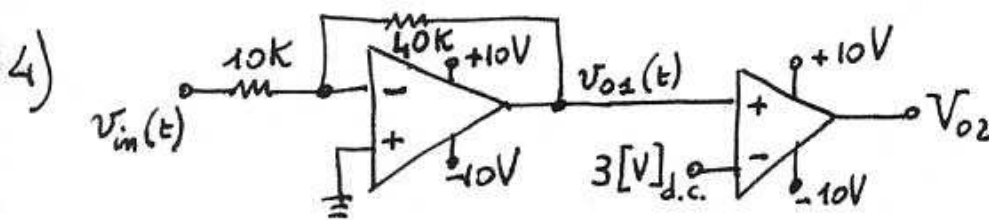
- a) Quanto deve valere R_i perché v_{out} sia $= -5 v_{in}$?
 b) Qual è il max valore di v_{in} in zona LINEARE ?



- a) determina v_{out} (in forma letterale)
 b) poni $V_1 = 0,5 [V]$ d.c.
 $V_2 = -1 [V]$ d.c.
 $v_3(t) = 5 \sin(2\pi 500t) [V]$
 e determina $v_{out}(t)$
 c) disegna le 3 v_{in} , le 3 v_{out} parziali; la v_{out} totale.



- a) determina V_{out}
 b) modifica le R in modo da avere $V_{out} = 5(V_1 - V_2)$
 c) Quanto vale V_{out} se, essendo nel caso b), $(V_1 - V_2) = 3 [V]$?



$$v_{in}(t) = 1,5 \sin(2\pi 100t) [V]$$

determina e disegna $v_{o1}(t)$ e V_{o2} .

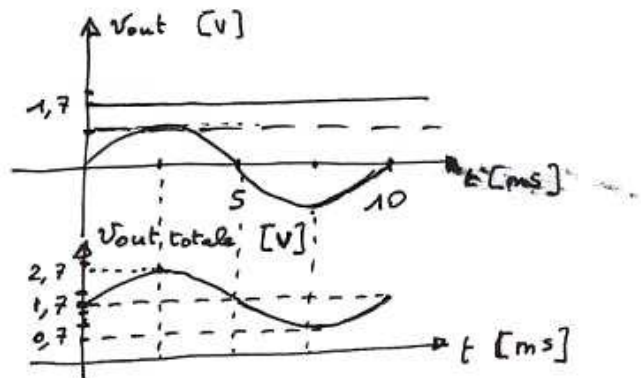
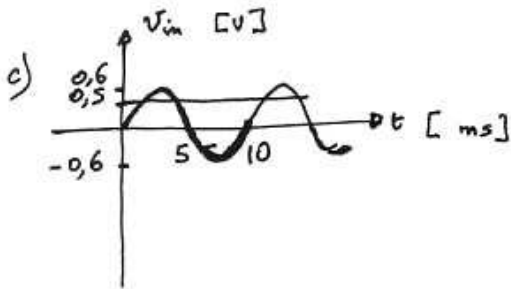
IV CINF | 4° VERIFICA (SU A.O.) - SOLUZIONE | FILA 1

1) a) (A. NON INVERTENTE)
 $R_f = (6-1) R_{in} = 50 [k\Omega]$

b) $V_{inmax} \leq \frac{8}{6} \approx 1,3 [V]$

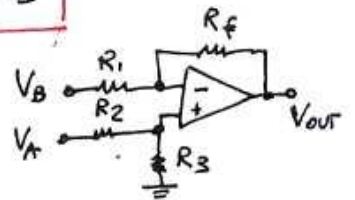
2) (SOMMATORE NON INVERTENTE)
 $V_{out} = V_1 \frac{40}{360} \left(1 + \frac{40}{10}\right) + V_2 \frac{20}{60} \left(1 + \frac{40}{10}\right) = \frac{10}{3} V_1 + \frac{5}{3} V_2$

b) $V_{out}(t) = 0,5 \cdot \frac{10}{3} + 0,6 \cdot \frac{5}{3} \sin(2\pi \cdot 100t) [V] \approx 1,7 + 1 \cdot \sin(2\pi \cdot 100t) [V]$



3) (DIFFERENZIALE)
 $V_{out} = V_A \frac{40}{360} \left(1 + \frac{40}{10}\right) - V_B \frac{40}{10} = \frac{10}{3} V_A - 4 V_B$

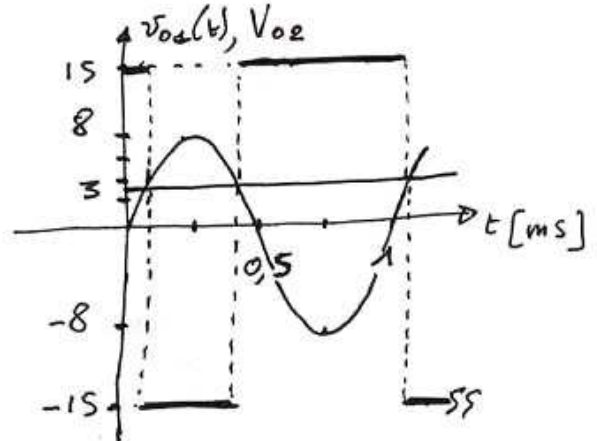
b) es: $R_1 = R_2 = 10 [k\Omega]$ $R_f = R_3 = 60 [k\Omega]$



c) $V_{out} \approx 8 [V]$

4) (AMPLI NON INVERTENTE + COMPARATORE INVERTENTE)
 $V_{o1}(t) = 2 \cdot \left(1 + \frac{30}{10}\right) \sin(2\pi \cdot 1000t) = 8 \sin(2\pi \cdot 1000t)$

$V_{o2} \approx 15 [V]$ se $V_{o1} < 3 [V]$
 $V_{o2} \approx -15 [V]$ " " " $> "$



IV CIN - 4^a VERIFICA (SU A.O.) - SOLUZIONE F.2

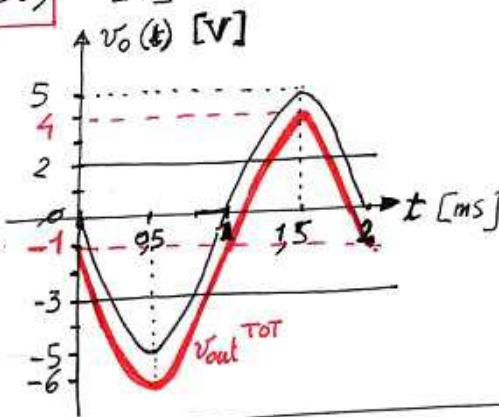
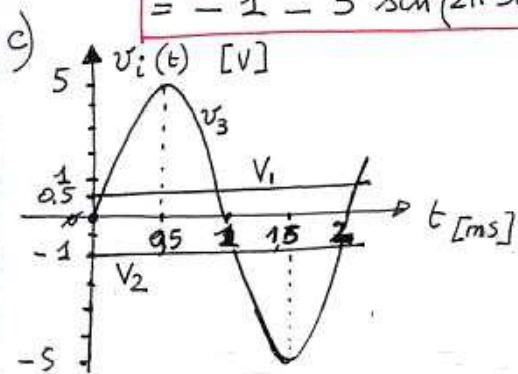
1) a) (amplificatore invertente di tensione) $\frac{v_{out}}{v_{in}} \triangleq A_f = -\frac{R_f}{R_i} = -5 = -\frac{40}{R_i} \Rightarrow R_i = 8 [k\Omega]$

b) $|v_{in\ max}| = \frac{|V_{SAT}|}{|A_f|} \cong \frac{12}{5} = 2,4 [V]$

2) a) (Sommatore invertente) $v_{out} = V_1 \left(-\frac{60}{10}\right) + V_2 \left(-\frac{60}{30}\right) + v_3(t) \left(-\frac{60}{60}\right)$

b) $v_{out} = 0,5 \cdot (-6) = -3 + 2 - 5 \sin(2\pi 500t) (-1) = -3 + 2 - 5 \sin(2\pi 500t) =$

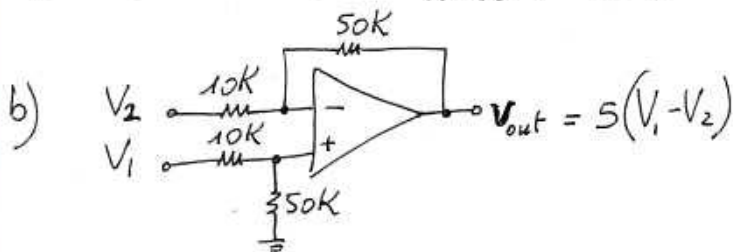
$= -1 - 5 \sin(2\pi 500t) [V]$



$$\begin{cases} V_{o1} = -3 [V] \text{ d.c.} \\ V_{o2} = +2 \text{ " " } \\ v_{o3} = -5 \sin(2\pi 500t) [V] \end{cases}$$

$$T = \frac{1}{f} = \frac{1}{500} = 2 [ms]$$

3) a) (DIFFERENZIALE) $v_{out} = V_1 \cdot \frac{60}{30+60} \left(1 + \frac{50}{10}\right) - V_2 \left(\frac{50}{10}\right) = V_1 \frac{2}{3} \left(\frac{2}{3}\right) - 5V_2 = 4V_1 - 5V_2$



c) v_{out} dovrebbe valere $5 \cdot 3 = 15 [V]$ ma essendo $+V_{SAT} \cong +10 [V]$, questo sarà il valore assunto dall'uscita.

4) (A. invertente + Comparatore non invertente)

$$v_{o1}(t) = 1,5 \sin(2\pi 100t) \cdot \left(-\frac{40}{10}\right) = -6 \sin(2\pi 100t) [V]$$

$$\begin{cases} V_{o2} \cong +8 [V] \text{ se } v_{o1} > 3 [V] \\ V_{o2} \cong -8 [V] \text{ se } v_{o1} < 3 [V] \end{cases}$$

$$T = \frac{1}{f} = \frac{1}{100} = 10 [ms]$$

